

# Directional Controlled Fusion in Wireless Sensor Networks

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**Abstract**—Though data redundancy can be eliminated at aggregation point to reduce the amount of sensory data transmissions, it introduces new challenges due to multiple flows competing for the limited bandwidth in the vicinity of the aggregation point. On the other hand, waiting for multiple flows to arrive at a centralized node for aggregation not only uses precious memory to store these flows but also increases the delays of sensory data delivery. Traditional aggregation schemes can be characterized as “multipath converging”. In this paper, we propose the use of “multipath expanding” to solve the above problems by exploiting both data fusion and load balancing. We propose a novel directional-controlled fusion (DCF) scheme, which includes two key algorithms, i.e., directional control and multipath fusion. By adjusting a key parameter named multipath fusion factor in DCF, the trade-offs between multipath-converging and multipath-expanding can be easily achieved, in order to satisfy specific QoS requirements from various applications. We present extensive simulations that verify the effectiveness of the proposed scheme.

## I. INTRODUCTION

Wireless sensor networks (WSNs) have attracted remarkable attention in the research community recently, driven by a wealth of theoretical and practical challenges and increasing number of practical civilian applications. In environments where the source nodes are close to each others and generate a lot of sensory data traffic with redundancy, forwarding all sensory data to the sink node not only wastes the scarce wireless bandwidth, but also consumes a lot of battery energy. Data aggregation is among the mechanisms to eliminate the data redundancy in order to save energy. The conventional network structure for facilitating aggregation is a tree rooted at the sink with the source nodes as leaves. By exploiting such an aggregation tree, data fusing is performed where branches merge to decrease the number of transmissions in the network, thus reducing the bandwidth usage and energy consumption caused by relaying of sensory data.

Finding the optimal aggregation points in the network is known to be NP-Complete and still an open area of research. Building an optimal aggregation trees (e.g. Weighted Steiner Tree [1], [2], or schemes approximating Steiner Tree [3]) need centralized control; i.e., before the algorithm starts, complete knowledge of all the data flows need to be collected in advance, which may cause a lot of control overhead in a large WSN.

Several heuristic schemes have been proposed, which depend on specific assumptions on the aggregation model. One of such assumptions is that the aggregation points need to wait

for upstream (i.e., the flows starting from source nodes) nodes to send their data [4]. Due to the increased delay, such an assumption may be infeasible for delay-constraint applications, especially for real-time video/image transmission over WSNs, since the associated latency may cause the video/image packets to exceed their decoding deadlines.

Though recent work [3], [5] has considered both aggregation efficiency and aggregation cost in building efficient aggregation trees, contention of multiple flows at aggregation node has been largely ignored. Such contention increases control overhead, energy consumption, and access delay, thus degrading the benefits from data aggregation and limiting the application scope of these previously proposed aggregation tree algorithms. This contention problem may be prevented if the data from multiple flows arrive at the aggregate point asynchronously. However, this presents a new problem of buffering delays at the aggregation nodes, which increase with the number of flows being aggregated. Such an approach also requires additional storage to temporarily store data that arrives earlier, and may not be affordable for memory-constrained sensor nodes.

In this work, we focus on data redundancy eliminating at the fusion points of multiple flows. We consider an image sensor network where static sensors are uniformly distributed over a large area. Each sensor knows its physical location, e.g., using the Global Positioning System (GPS) or a localization algorithm [6]. In our system, several sources nodes equipped with cameras take images of a certain target object and transmit the images to the sink node. Since these cameras are located in the same target region, the captured images may be highly correlated, e.g., they may have a similar background. An example is shown in Fig. 1, in which three source nodes capture and transmit images via different disjointed paths at first. Since the path between camera-2 and the sink is the shortest one, the whole image captured by camera-2 arrives at nodes *A* and *B* earlier than those captured by camera-1 and camera-3.

Assume that the image flow of camera-3 converges with that of camera-2 at node *A*. At the view point of node *A*, transmitting the whole picture taken by camera-3 to the sink node may be unnecessary in the case that the image captured by camera-2, which has common overlapped background, has already been transmitted to the sink. Thus, instead of transmitting the whole picture taken by camera-3, node *A* extracts the region-of-interest from the whole picture using an

TABLE I  
NOTATION

Symbol	Definition
$I_i$	image captured by camera $i$ .
$ I_i $	size of image $I_i$ .
$B$	the common background image.
$V$	the set of selected source nodes.
$R_i$	the segmented image after removing background.
$\rho$	the ratio of segmented image size to the original image size.

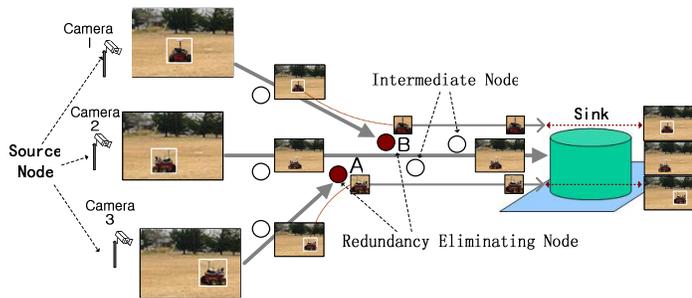


Fig. 1. Example of Data Redundancy Eliminating in Directional-Controlled Fusion.

image-segmentation algorithm. Currently, the I-Mote2 sensor node is capable of performing in-node image-processing [7]. When the image taken by camera-1 arrives at node  $B$ , the same operation is performed so that the large volume of imagery data is reduced into a smaller one. The segmented images are restored at the sink node, as shown in Fig. 1.

As opposed to the aforementioned properties existing in previous data fusion solutions, the directional-controlled fusion (DCF) scheme proposed in this paper has the following features:

- DCF builds the multipath fusion tree in a distributed fashion. Nodes can perform path repair and fusion without any feedback between source-sink pairs or any knowledge about the global topology. This feature makes DCF scalable for large WSNs.
- DCF explicitly considers load balancing and network lifetime while addressing the energy conservation issue.
- DCF can achieve different fusion patterns, which can be divided into two categories, i.e., multipath-converging and multipath-expanding. While the previous work can be categorized as multipath-converging, DCF first achieves multipath-expanding that exploits the efficacy of both data fusion and load balancing.

DCF is a combination of two proposed algorithms: (1) directional control algorithm for controlling the paths directions; (2) path fusion algorithm for building the multipath fusion tree with the hierarchical structure. Our main contributions are two folds: (1) introduce a new concept of “multipath-expanding” which increases the multipath aggregate bandwidth and efficiency by taking advantage of both load balancing and data redundancy eliminating; (2) achieve flexible trade-offs between multipath-converging and multipath-expanding.

The rest of the paper is organized as follows. We describe the DCF algorithm in Section II. Simulation model and experiment results are presented in Section III. Section IV concludes the paper.

## II. DIRECTIONAL CONTROLLED FUSION

In this section, we present the architecture and design issues of the directional-controlled fusion (DCF) scheme. We first give an overview of the network organization and our proposed redundancy eliminating model. We then describe the DCF components in detail. DCF consists of two key components,

directional control and multipath fusion. We present the directional control mechanism in Section II-B and then the multipath fusion scheme in Section II-C. For clarity, we also classify all possible multipath fusion patterns in Section II-D.

### A. Architecture Overview

Given Fig. 1 as an example, this paper considers a network where a number of camera sensor nodes (i.e., source nodes) are sparsely deployed among a much larger number of densely deployed low-power sensor nodes. The set of source nodes cover the target region remotely monitored by the sink. The captured images by the source nodes will be delivered to the sink node by large number of low-power sensor nodes.

In order to reduce the redundancy among the images and conserve energy, data fusion will be performed along the way when the images are forwarded to the sink. For this purpose, one source node will be selected as the *reference source* at a time based on some criteria (e.g., maximum remaining energy, closeness to the center of the center of the target region, or closeness to the sink, etc.) using the following mechanism. Initially, all of the source nodes start a so-called Reference-Source-Selection-Timer (RSS-Timer). A random value is set to each timer based on specific criterion. A smaller value indicates a source has higher eligibility as the reference source. Then, the one whose RSS-Timer expires first will be selected as the reference source, which will broadcast an election notification message within the target region. When other source nodes (called side sources) receive the notification message, they will cancel their RSS-Timers and know the reference source’s location piggybacked in the message.

The reference source will then initiate the construction of the *reference path* (e.g., the shortest path to the sink), and then, the side sources will transmit control packets each specifying a different deviation angle, to form multiple side paths with different initial deviation angles. When side path intersects with the reference path or any of other side paths, data fusion will be performed at the intersection nodes, where redundancy in image data will be eliminated. The related notation used for the data fusion scheme incorporating in the application as shown in Fig. 1, is listed in Table I.

The common background image is defined as

$$B = I_i \cap j \quad (\forall i, j \in V). \quad (1)$$

We assume the captured images have a common background for sake of simplicity, although in practice, the overlapped

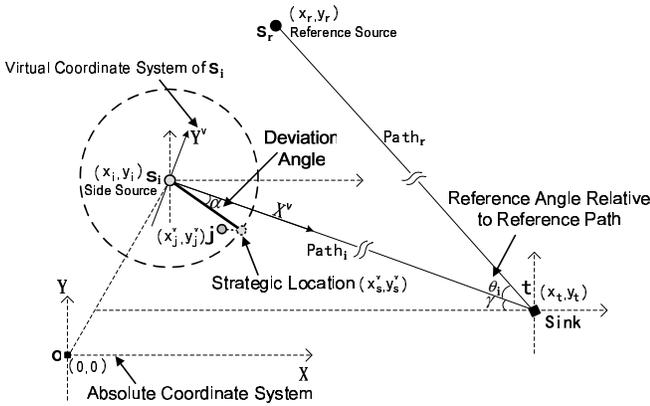


Fig. 2. Illustration of the related calculations in DCF directional control.

portion may be different for various pairs of images. In a data fusion node (e.g., node  $A$  or  $B$  in Fig. 1), the image is segmented into a small image (i.e.,  $R_i$ , and  $R_i = I_i - B$ ) by removing the common background. Then, the redundancy ratio  $\rho$  is equal to  $\rho = 1 - \frac{|R_i|}{|I_i|}$ .

### B. Directional Control

Directional control presented in this section is one of the two key components of DCF. Based on absolute coordinates, we first present how to calculate a neighbor's virtual coordinates and the reference deviation angle of a side path in Sections II-B1 and II-B2, respectively. We then introduce the calculation of deviation angle for current node in Section II-B3. We propose a next hop selection mechanism based on the deviation angle in Section II-B5. Finally, we illustrate how to identify the polarity of a side path in Section II-B6.

1) *Calculating the Virtual Coordinates of a Next Hop Candidate:* As shown in Fig. 2, the absolute coordinates of sink  $t$ , reference source  $s_r$ , side source  $s_i$  and its neighbor  $j$  are denoted by  $(x_t, y_t)$ ,  $(x_r, y_r)$ ,  $(x_i, y_i)$  and  $(x_j, y_j)$ , respectively. In this paper, we employ the virtual coordinates described in [11]. The virtual coordinates of node  $i$ 's neighbor  $j$  is denoted by  $(x_j^v, y_j^v)$ , which can be calculated by (2). In Eqn.(2),  $\gamma$  is the angle between absolute coordinate system's  $X$ -axis with the line connecting side source  $s_i$  and the sink.

$$\begin{cases} x_j^v = \cos(\gamma) \cdot (x_j - x_i) + \sin(\gamma) \cdot (y_i - y_j) \\ y_j^v = \cos(\gamma) \cdot (y_j - y_i) - \sin(\gamma) \cdot (x_j - x_i), \end{cases} \quad (2)$$

where  $\gamma = \arctan\left(\frac{y_t - y_i}{x_t - x_i}\right)$ .

2) *Calculating the Reference Deviation Angle:* Let  $P_r$  denote the reference path between reference source and the sink. Let  $\theta_i$  denote the reference deviation angle between  $P_r$  and the line connecting  $s_i$  and the sink. Side source  $s_i$  can calculate  $\theta_i$  by the position of its reference source  $r$   $(x_r, y_r)$ , its own position  $(x_i, y_i)$ , and the sink's location  $(x_t, y_t)$ , as shown in Eq.(3). Note that  $\theta_i$  can be either positive or negative. For instance, if  $s_i$  is below  $P_r$ ,  $\theta_i$  is positive; otherwise it's negative, as shown in Fig. 2. We can compute  $\theta_i$  and the

distances between any pair of the nodes as

$$\theta_i = \arccos\left(\frac{(D_t^r)^2 + (D_i^t)^2 - (D_r^i)^2}{2 \cdot D_t^r \cdot D_i^t}\right) \quad (3)$$

$$D_t^r = \sqrt{(y_t - y_r)^2 + (x_t - x_r)^2} \quad (4)$$

$$D_i^t = \sqrt{(y_t - y_i)^2 + (x_t - x_i)^2} \quad (5)$$

$$D_r^i = \sqrt{(y_r - y_i)^2 + (x_r - x_i)^2}. \quad (6)$$

3) *Calculating the Deviation Angle at Each Hop:* Let  $\alpha_h^i$  denote the deviation angle at hop  $h$  along the side path  $P_i$ . It is used for the current node to make decision for next-hop selection during the construction of  $P_i$ . Let  $P_{ff}$  denote the path fusion factor, which is the most important control parameter in DCF; let  $f(h)$  be an adjusting function at hop  $h$ ; and let  $H_{s_i}$  denote the estimated hop count between  $s_i$  and the sink. The per hop distance can be estimated as  $\beta * R$ , where  $R$  is the maximum transmission range. In this paper, we empirically set  $\beta$  to 0.7. Then,  $\alpha_h^i$  can be calculated by  $P_i$ 's reference deviation angle  $\theta_i$  multiplied by  $f(h)$  and  $P_{ff}$ , as given in Eqn.(7).

$$\alpha_h^i = \begin{cases} \min[90, P_{ff} * \theta_i * f(h)], & \theta_i \geq 0 \\ \max[-90, P_{ff} * \theta_i * f(h)], & \theta_i < 0. \end{cases} \quad (7)$$

where  $f(h) = \frac{h}{H_{s_i}} + 1$  and  $H_{s_i} = \lceil \frac{D_i^t}{\beta * R} \rceil$ , for  $0 < \beta < 1$ .

4) *Distance to Strategic Location:* Strategic location means the ideal location of current node's next hop. As shown in Fig. 2, the virtual coordinates of the strategic location is denoted by  $(x_s^v, y_s^v)$ . Based on the deviation angle calculation in Section II-B3,  $(x_s^v, y_s^v)$  can be calculated by (8).

$$\begin{cases} x_s^v = \cos(\alpha_h^i) \cdot R, \\ y_s^v = -\sin(\alpha_h^i) \cdot R. \end{cases} \quad (8)$$

Then, the distance between a next hop candidate  $j$  and the strategic location (denoted by  $\Delta D_j$ ) can be calculated by

$$\Delta D_j = \sqrt{(x_s^v - x_j^v)^2 + (y_s^v - y_j^v)^2} \quad (9)$$

5) *Direction-aware Next-hop-selection:* To establish a direction-aware path, a probe message is broadcast initially by a side source for route discovery. A node receiving a probe message will calculate its  $(x_s^v, y_s^v)$  and the virtual coordinates of its neighbors. Then, DCF will select as the next hop node whose distance is closest to the strategic location, instead of the neighbor closest to the sink as in traditional geographical routing protocols. Table II shows the pseudo-code of the next-hop-selection algorithm in DCF. A selected next hop will continue to broadcast probe message to find its next hop, and so forth, until the sink node is reached. As a result, a path from the source node to sink is established that traverses a few predetermined strategic locations, where data fusion will be performed.

6) *Polarity Map in DCF:* Exploiting the adjusting function in Eqn.(7), the deviation angle becomes larger with the probe message making more progress towards the sink. Using the current adjusting function, when  $P_{ff}$  has a negative value, the adjusting function aims to evenly distribute the multiple

TABLE II  
PSEUDO-CODE FOR SELECTING THE NEIGHBOR WITH THE MINIMUM  $D_j$   
AS *NextHop*

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01 procedure NextHopSelection( $V_h$ )
02    $h$  is the  $h$ th hop node along the side path  $i$ ;
03    $V_h$  is the set of node  $h$ 's neighbors in the forwarding area;
04   begin
05     calculate  $f(h)$  based on current hop counts;
06     calculate  $\alpha_h^i$  based on  $\theta_i$ ,  $P_{ff}$  and  $f(h)$ ;
07     calculate  $(x_s^v, y_s^v)$  based on  $\alpha_h^i$ ;
08     for each neighbor  $j$  in  $V_h$ 
09       calculate  $(x_j^v, y_j^v)$ ;
10       calculate  $\Delta D_j$  according to Eqn.(9);
11     endfor
12     for each neighbor  $j$  in  $V_h$ 
13       if  $\Delta D_j = \min\{\Delta D_j | k \in V_h\}$ 
14         select  $j$  as NextHop;
15       break;
16     endif
17   endfor

```

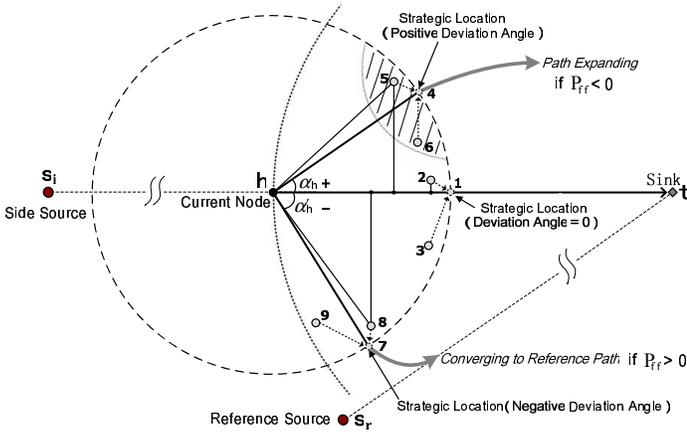


Fig. 3. Illustration of Polarity Calculation.

side paths around the limited space in the proximity of the sink. Otherwise, if  $P_{ff}$  has a positive value, the side path will converge quickly to the reference path after a few hops from the side source. A suitable choice of the angle adjusting function  $f(h)$  will affect the resulting formation of the multipath fusion structure.

As observed in Table III, the effect of converging or expanding is determined by the sign of  $P_{ff}$  (i.e., “+” for converging and “-” for expanding). Thus, in the proposed DCF scheme,  $P_{ff}$  efficiently provides a flexible control knob for trade-off between path converging and path expanding.

As the example shown in Fig. 3,  $s_i$  is above its reference source  $s_r$ , and thus resulting in a negative  $\theta_i$ . If  $P_{ff}$  is

TABLE III  
THE IMPACT OF POLARITY ON THE EFFECT OF SIDE PATH'S  
CONSTRUCTION

Relative to $s_r$	$\theta_i$	$P_{ff}$	$\alpha_h^i$	Effect
below	+	+	+	converging
below	+	-	-	expanding
above	-	+	-	converging
above	-	-	+	expanding

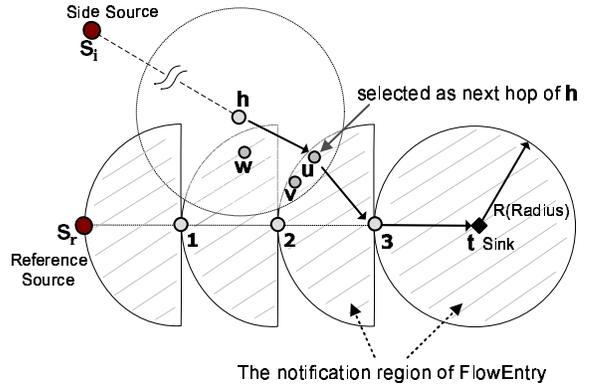


Fig. 4. Illustration of the Multipath Merging Protocol.

negative, according to Table III,  $\alpha_h$  is positive and the side path will be expanded. Otherwise, the path will be converged. In Fig. 3, nodes 1, 4 and 7 are the strategic locations when  $P_{ff}$  is zero, negative and positive, respectively. And nodes 2, 5 and 8 are selected as the direction-aware next hop nodes because they are the closest ones to their corresponding strategic locations.

### C. Multipath Fusion

1) *Scheme Description*: Basically, when the current node receives a probe message, it will perform next-hop-selection as described in Section II-B5. Then, it sets up its *FlowEntry*, which is a record of the identifier of the next-hop node pointing to the sink, as the selected next hop, and notify this information to its one hop neighbors whose distance to the sink is larger than itself, as shown in Fig. 4.

In Fig. 4, during the construction of  $P_i$  initiated by  $s_i$ , the  $h$ th hop node  $h$  will check its neighbor information table. If there exists one neighbor with *FlowEntry* set,  $h$  will forward the probe message directly to that neighbor without direction-aware next-hop-selection. In the case that there are more than one neighbor which has already established its *FlowEntry*, the one whose next hop indicated in its *FlowEntry* is closest to the sink, will be selected as the next hop node of  $s_i^k$ .<sup>1</sup> When a node with *FlowEntry* set receives the probe message, it will be discarded, which implicitly means the construction of  $P_i$  is terminated and the side path is merged into another path (i.e., the reference path or another side path).

As shown in Fig. 5, we divide the probe message fields into three parts, common fields, fields for next-hop-selection and for path fusion, respectively. Common fields represent the universal information for packet routing. In the fields for next-hop-selection, ReferenceSourcePOS, SideSourcePOS and SinkPOS are used to calculate neighboring nodes' virtual coordinates at each hop; Both  $\theta_i$  and  $H_{s_i}$  are calculated by side source  $s_i$  and are not changed during path construction. In the fields for path fusion, MyID represent the identifier of current node; MyPOS is used for its neighbors to judge whether they

<sup>1</sup>if multiple neighbors use the same next hop node, which means that next hop has already been a fusion point, the neighbor whose distance is the closest to the sink will be selected.

Common Fields:	SourceID ( $s_i$ )	SinkID ( $t$ )	SeqNum	NextHop
For NextHopSelection:	ReferenceSourcePOS ( $x_r, y_r$ )		SideSourcePOS ( $x_i, y_i$ )	
	SinkPOS ( $x_t, y_t$ )		ReferenceDeviationAngle ( $\theta_i$ )	
	EstimatedHopCountFromSrcToSink ( $H_{s_i}$ )		PathFusionFactor ( $P_{ff}$ )	
For Path Fusion:	MyID	SinkFlag	MyPOS ( $x_h, y_h$ )	

Fig. 5. Illustration of Packet Format.

are upstream node compared to current node; If SinkFlag is set to 1, all of the neighboring nodes will mark their FlowEntry to be set. The fields of NextHop, MyID and MyPOS will be changed at each hop, while SinkFlag is only set by the sink. And the other fields are fixed.

2) *Example*: As the example shown in Fig. 4, there are two source nodes, one is reference source  $s_r$  and the other is side source  $s_i$ . We assume that  $s_r$  has initiated the construction of reference path  $(s_r, 1, 2, 3, t)$ . Since nodes 1, 2, 3 are selected as the next hop nodes, their upstream neighbors will overhear the probe message broadcast by them. Thus, those upstream neighbors (e.g., nodes  $u$ ,  $v$  and  $w$ ) will know they have a neighbor (i.e., node 1, node 2, or node 3) with FlowEntry set. As shown in Fig. 4, the region of upstream neighbors usually forms a half circle.

We assume that  $s_i$  has constructed a partial path up to node  $h$  (i.e.,  $s_i \rightarrow h$ ). And we assume  $u$ ,  $v$  and  $w$  are the neighbors of  $h$ . Both  $u$  and  $v$  have a neighbor 3 whose FlowEntry has been set while  $v$  has a neighbor 2 with FlowEntry set. When  $h$  checks its neighbor information table, it will find the next hop nodes in both  $u$  and  $v$ 's FlowEntries are closer to the sink than  $w$ . At this moment,  $w$  is excluded from the next hop candidate list. Next, between  $u$  and  $v$ ,  $h$  checks which one is closer to the sink. Finally, it selects  $u$  as its next hop and forward the probe message it. When  $u$  receives the message, since its FlowEntry has already set, it will terminate the construction of the side path which means  $P_i$  is fused with  $P_r$ .

#### D. Pattern Classification of DCF with Varying Multipath Fusion Factors

The path constructions initiated by side sources will halt in the proximity of reference path or other side path. These partially constructed “sub-side” paths are fused into previously built side paths which has already fused into reference path. Thus, the multipath fusion tree forms a hierarchical formation pattern. If  $P_{ff}$  is a negative value, the side path will be expanded relative to the reference path, yielding thereafter expanding multipath fusion. With  $P_{ff}$  increasing, the formation pattern will be changed gradually from multipath-expanding to converging fusion, as shown in Fig. 6.

We categorize the patterns as follows:

- *large(-)*:<sup>2</sup> As shown in Fig. 6-(a), the inner side path expands widely, and thus blocks the outer side paths

<sup>2</sup>The notation “large(-)” means that  $P_{ff}$  is negative and its absolute value is relatively large, while “small(+)” means that  $P_{ff}$  has a positive small value, and so forth.

which are merged into those inner paths at the beginning of side paths’ construction.

- *medium(-)*: In Fig. 6-(b), the side paths expand in parallel, which yields disjointed multiple paths.
- *close to 0*: The formation of fusion structure is shown in Fig. 6-(c). When  $P_{ff} = 0$ , the side path degrades to the shortest path pointing to the sink. It works similarly as opportunistic aggregation in Directed Diffusion [8].
- *medium(+)*: By tuning  $P_{ff}$  between 0 and a large positive value, aggregation points will be shifted from sink to the reference source (e.g., Fig. 6-(d)). Higher  $P_{ff}$  yields faster converging to the reference path than lower one. By such adjustment, DCF achieves an efficacy of finding optimal aggregation points similar to that of a heuristic approach (e.g., Oceanus [3]).
- *large(+)*: When  $P_{ff}$  is a large positive value, the side paths will be pulled towards the reference source at a fast convergence speed. Then, all of the side sources set up paths connecting the reference source, which makes the reference source work as a cluster head. Such multipath fusion formation is similar to that obtained by greedy incremental algorithms [9], [10]. Fig. 6-(e) shows an extreme case.

In summary, with  $P_{ff}$  changing from large(-) to large(+), the fusion formations almost include all existing formations presented in previous work (e.g., DD [8], Oceanus [3], greedy incremental [9], [10] algorithms). In DCF,  $P_{ff}$  provides a convenient control knob for easily trading off among the various scenarios. In addition, existing algorithms cannot generate the multipath-expanding structure. The multipath-expanding, introduced in DCF, takes advantage of both load balancing and data redundancy eliminating, increase the multipath aggregate bandwidth and efficiency.

### III. PERFORMANCE EVALUATION

#### A. Simulation Methodology

We implement our protocols and perform simulations using OPNET Modeler [12]. The network is uniformly deployed over a 1000m  $\times$  500m field. To verify the nice scaling property of DCF, we select large scale network scenario with 800 nodes. We let multiple source nodes be located at the left side of the field and one sink stay at the right side. The sensor application module consists of a constant-bit-rate source, which generates a sensed data every 100ms (1024 bits each). As in [8], we use IEEE 802.11 Distributed Coordinate Function as the underlying MAC, and the radio transmission range ( $R$ ) is set to 60m. The data rate of the wireless channel is 1 Mb/s. All messages are 64 bits in length. We assume both the sink and sensor nodes are stationary. For consistency, we use the same energy consumption model as in [8]. The initial energy of each node is 5 Joules. The transmit, receive and idle power consumptions are 0.66 W, 0.395 W, and 0.035 W, respectively. We count all types of energy consumptions in the simulations, including transmission, receiving, idling, overhearing, collisions and other unsuccessful transmissions, MAC layer headers, retransmissions, and RTS/CTS/ACKs.

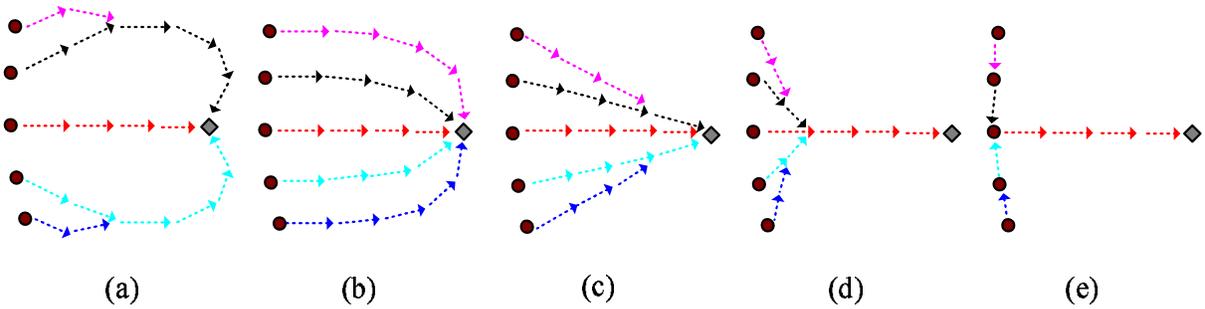


Fig. 6. The Pattern Classification of DCF with varying  $P_{ff}$ : (a) large(-); (b) medium(-); (c) close to 0; (d) medium(+); (e) large(+).

In this paper, the following three performance metrics will be evaluated:

- *Lifetime* - It's the time when the first node exhausts its energy.
- *Average Communication Energy*: the total communication energy consumption, including transmitting, receiving, retransmissions, overhearing and collision, over the total number of distinct reports received at the sink.
- *Average End-to-end Packet Delay* - It includes all possible delays during data dissemination, caused by queuing, retransmission due to collision at the MAC, and transmission time.
- *Integrated Performance*: For time-sensitive applications over energy constrained WSNs, it is important to consider lifetime, energy and delay simultaneously. We adopt  $\eta = \frac{\text{Delay} \cdot \text{Energy}}{\text{Lifetime}}$  to evaluate the integrated performance. The higher the  $\eta$ , the better the composite performance provided by the WSN to energy-efficiently support time-constrained services for longer time.

### B. Simulation Results

In the following sets of simulation results,  $P_{ff}$  is varied from -1.2 to 9, data redundancy ratio is changed by varying  $\rho$  (the definition is given in Section II-A) from 0% to 90%. When  $\rho = 0$ , there is no redundancy in the sensory data. As  $\rho$  is increased, more data redundancy presents in sensory data, which can be eliminated at the path fusion points.

In Fig. 7, we present the impact of  $P_{ff}$  and  $\rho$  on the DCF performance. In Fig. 7(a), we find the lifetime is always the highest when  $P_{ff}$  is close to -1.2, which illustrates that multipath-expanding increases aggregate source-to-sink bandwidth and achieve better load balancing than traditional multipath-converging. Furthermore, the lifetime of multipath-expanding is insensitive to the changes of  $\rho$ , which indicates that the paths are more disjoint than multipath converging, and thus taking less advantage of redundancy eliminating. When  $P_{ff}$  is close to 0, the lifetime reaches its lowest points, which illustrates that opportunistic aggregation [8] makes the nodes in the proximity of the sink critical. When  $P_{ff}$  is increased, the fusion points are shifted from the sink to source nodes. When  $P_{ff}$  is around 5, the fusion points are scattered evenly around the middle between source and sink, which achieves highest lifetime among the multipath-converging cases.

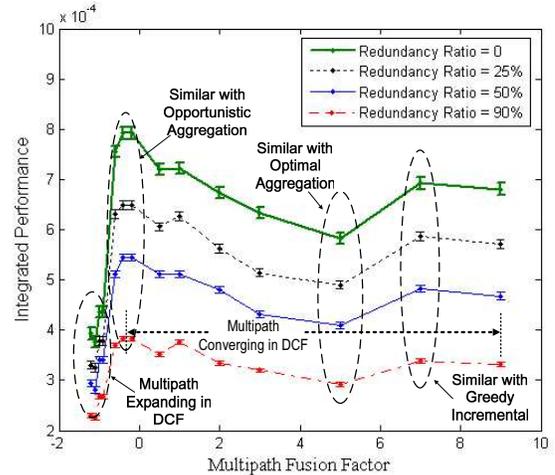


Fig. 8. The impact of  $P_{ff}$  and  $\rho$  on integrated performance of DCF.

In Fig. 7(b), we find the energy consumption decreases for increased  $\rho$ . As shown in Fig. 7(c), the delay curves have two peaks at  $P_{ff} = 0$  and  $P_{ff} = 7$ , respectively. This is because, in both opportunistic and greedy-incremental like schemes [9], [10], either the proximity of the sink or the reference sink become bottlenecks for multiple flows that compete for the limited bandwidth. However, congestion is not a problem for multipath expanding due to the load balancing effect of multipath routing, the delay stay low as similar to heuristic-based optimal aggregation tree algorithms (e.g., Oceanus [3]).

In Fig. 8, though the heuristic-based aggregation scheme achieves best integrated performance among all of the multipath-converging, the multipath-expanding even has higher performance since it takes advantage of both load balancing and data redundancy eliminating. This fact indicates that multipath-expanding is a new approach to achieve better performance rather than adjusting aggregation points in multipath-converging, especially for extending network lifetime.

Fig. 9 shows the snapshots of two OPNET simulations. The snapshots are for the multipath-expanding and multipath-converging in DCF's path construction and illustrate its flexibility to accommodate a wide range of applications.

### IV. CONCLUSION

For sensor data fusion, finding the optimal aggregation points in the network is known to be NP-Complete and is

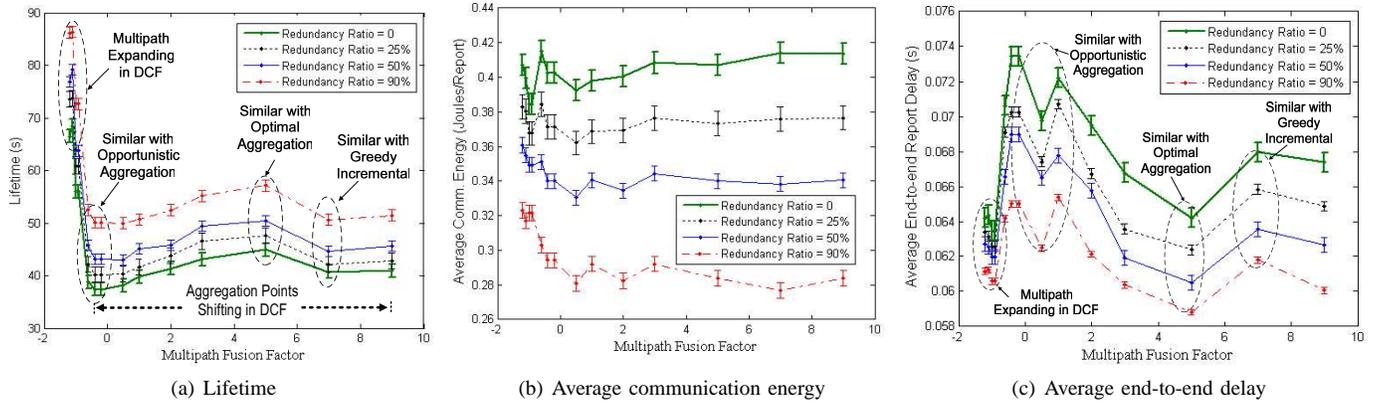


Fig. 7. The impact of  $P_{ff}$  and  $\rho$  on DCF performances: (a) Lifetime; (b) Average communication energy; (c) Average end-to-end delay.

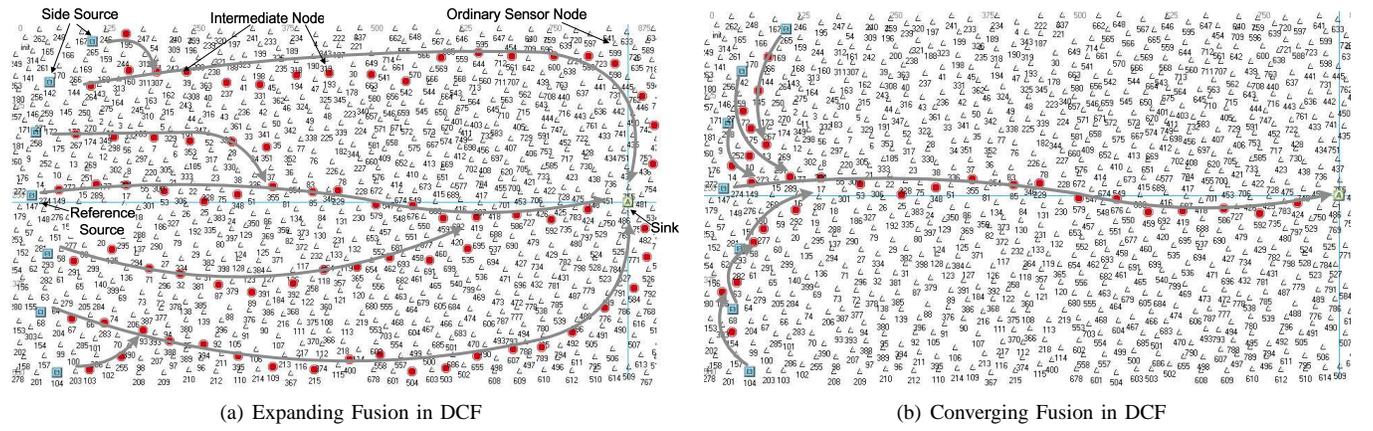


Fig. 9. Simulation Animation with Varying  $P_{ff}$ .

still an open area of research. In this paper, we propose a novel directional multipath fusion (DCF) scheme, which is fully distributed and only uses local information at each node for building the fusion structure. By tuning design parameter termed multipath fusion factor, DCF can achieve different fusion patterns, which can be divided into two categories, i.e., multipath-converging and multipath-expanding. While previous work can be categorized as multipath-converging, this paper first reveals that multipath-expanding achieves the efficacy of exploiting multiple paths to facilitate both load balancing and enlarging the aggregate bandwidth. Our extensive simulations demonstrate the efficacy of the proposed approach.

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