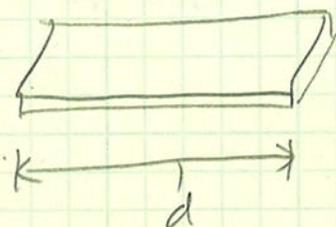
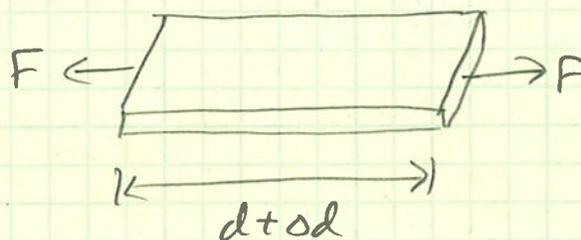


SAW Sensor Applications1) SAW strain sensor

No strain



With strain (tensile)



$$\text{strain} = \epsilon = \frac{\Delta d}{d}$$

$$\tau_0 = \frac{d}{v} \rightarrow \text{time delay without strain}$$

for $f = \text{RF frequency}$, phase delay = $\phi \rightarrow m$

$$\text{where } \phi = 360^\circ \frac{\tau_0}{T} = 360^\circ \tau_0 f = 360^\circ \frac{df}{v} \rightarrow \text{no strain}$$

with strain: $\epsilon \neq 0$

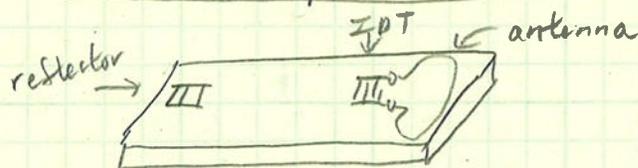
$$\phi = 360^\circ \frac{(d + \Delta d)f}{v} > 0$$

$$\text{let } \Delta \phi = 360^\circ \frac{\Delta df}{v} = 360^\circ \frac{\epsilon df}{v}$$

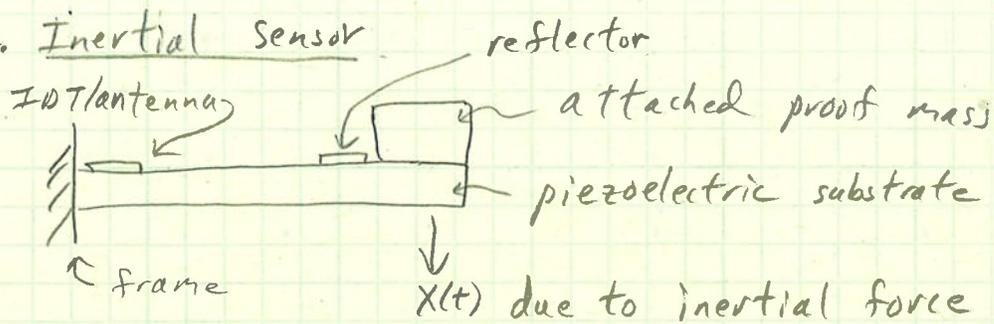
This assumes that the acoustic wave velocity does not change due to the strain

a. Compressive Strain

$$\epsilon < 0 \rightarrow \Delta \phi < 0$$

b. Wireless implementation

2. Inertial Sensor



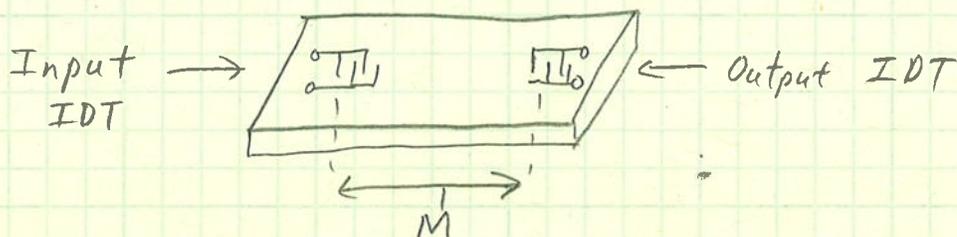
$X(t)$ induces strain in substrate : $\epsilon(t)$

$$\Delta\phi = \frac{360^\circ df}{v} \epsilon(t)$$

Wireless sensor can detect translational acceleration or vibration (or anything causing motion in x-direction)

3. Temperature Sensor

Acoustic wave velocity, v , is dependent on temperature



$$\text{time delay} = \tau_0 = \frac{M}{v} = \frac{M}{v(T)} \quad \text{where } T \equiv \text{temperature}$$

modeling τ_0 as a $f(T)$

$$\tau_0(T) = \tau_{0_0} [1 + \alpha(T - T_0)]$$

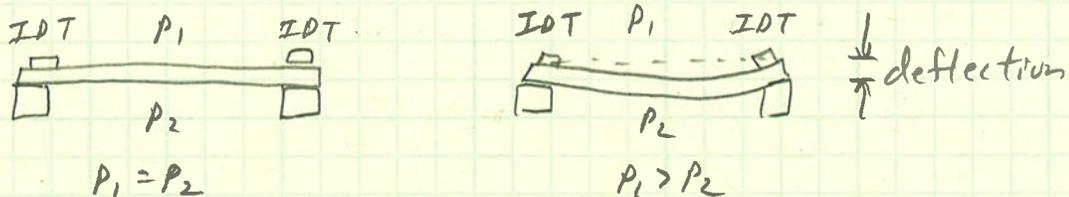
where T_0 is a reference temperature

and α is a substrate dependent temperature coefficient of time delay

Example: for YZ-cut lithium niobate, $\alpha = 94 \times 10^{-6} / ^\circ\text{C}$

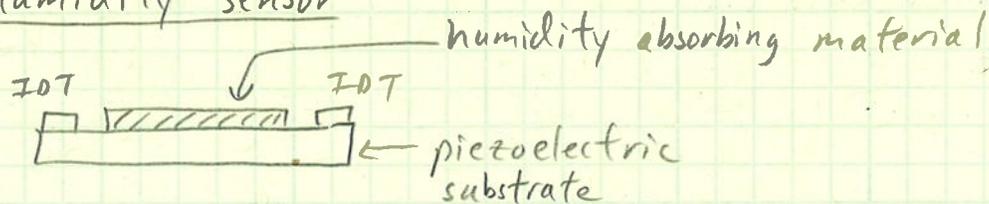
4. Pressure Sensor

→ Use a piezoelectric material as the pressure sensing diaphragm



Pressure difference deflects (strains = $\epsilon > 0$) piezoelectric substrate : $\Delta\phi = 360^\circ \frac{\epsilon d f}{v}$

5. Humidity Sensor



The SAW substrate has an area where a humidity (moisture) absorbing material is deposited as a thin layer.

→ As the material absorbs moisture, it swells, straining the SAW substrate : $\epsilon > 0$

$$\therefore \phi = 360^\circ \frac{\epsilon d f}{v}$$